

# G 364: Mobile and Wireless Networking

CLASS 9, Wed. Feb. 4 2004

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M-W, 11:40am-1:20pm, 109 Rob

# Clustering for Ad Hoc Networks

- ◆ Giving hierarchical structure to networks
- ◆ Decrease the amount of information at each node
- ◆ Enhances scalability
- ◆ Helps in “resource assignment”

# Two Protocols

- ◆ Distributed Clustering Algorithm (DCA)
  - Quasi-mobile networks, periodical reclustering. Allow complexity analysis, fast and simple
- ◆ Distributed and Mobility-Adaptive Clustering (DMAC) Algorithm
  - Same rules/procedures for clustering set up and maintenance, adaptive to nodes mobility and node/link failures

# DCA: Distributed Clustering Algorithm, 1

## ◆ Assumptions

- Knowledge of IDs and weights of one-hop neighbors
- Broadcast transmission of a packet in finite time (a “step”)
- Nodes do not move during clustering

# DCA, 2

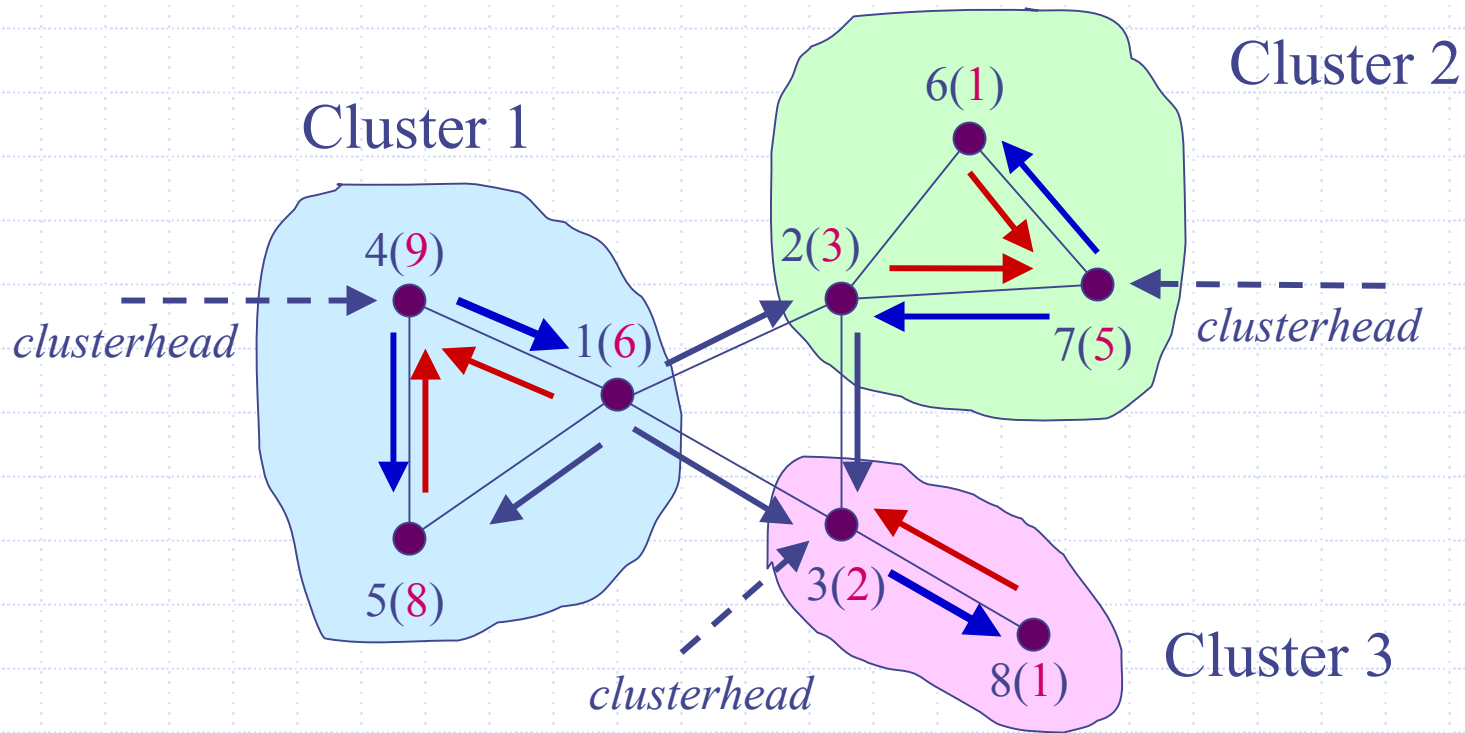
## ◆ (Only) Two messages:

- CH( $v$ ): Sent by a clusterhead  $v$
- JOIN( $u,t$ ): Sent by ordinary node  $u$  when it joins the cluster of clusterhead  $t$

## ◆ Three (simple) procedures:

- Init (start up)
- OnReceivingCH( $v$ ), OnReceivingJOIN( $u,v$ )  
(message triggered)

# Example



I Step  
2/4/04

II Step

III Step

IV Step

V Step 6

# DCA: Provable Properties

- ◆ Consider

$$\tau: V \rightarrow \{1, 2, 3, \dots, 2k\}$$

$V$  = set of network nodes,  $k$  = number of clusters

- ◆ **Proposition:** Each node  $v$  in  $V$  sends exactly one message by  $\tau(v)$  steps

- ◆ **Corollary 1:** DCA message complexity is  $n = |V|$

- ◆ **Corollary 2:** DCA terminates correctly in at most  $2k$  steps ( $\leq 2n$ )

# A Note on the Average Time Complexity

◆ We notice that

$$k \leq \alpha(G)$$

$G$  = topology graph,  $\alpha(G)$  =  $G$ 's *stability number*

◆ We see the network as a *random graph*, for which

$$(2k \leq ) \alpha(G) = \text{circa } O(\log n)$$

Log's base is a function of  $n$  and the number of the network links



# Adapting to Mobility and Node/Link Failures: DMAC

- ◆ DMAC is for clustering set up AND maintenance
- ◆ Nodes can move during the clustering
- ◆ Each node reacts to
  - Reception of a message
  - Presence of a new link
  - Link failure
- ◆ Same assumptions of DCA, plus knowledge of neighbors' roles (no role = ordinary role)

# DMAC: The Procedures

## ◆ INIT

## ◆ Link-dependent procedures:

- Link\_Failure
- New\_Link

## ◆ Message-triggered procedures:

- OnReceivingCH(v)
- OnReceivingJOIN(u,t)

# Joining Clusterheads: Dynamic Backbone

- ◆ A theorem from Chlamtac and Farago:  
*If a network is connected, and DCA is used, then if and only if each clusterhead is linked to all the clusterheads at most three hops away, the resulting backbone network is connected*
- ◆ Inherently mobility adaptive and stateless
- ◆ Good if the random graph model could be used

# Dynamic Backbone: Some Simulation Results

- ◆ Networks with up to 2000 nodes (common parameters)
  - Number of Clusterheads  $< \text{SQR}(\log n)$
  - Number of Backbone Links  $< \text{EXP}(\log n, 2.5)$   
(when mapped on physical paths with at most three hops)
  - Number of Backbone links  $< \text{EXP}(\log n, 2.2)$   
(when links are obtained through directional antennas and/or power control)

# Some Applications

- ◆ Stateless multipoint communication:  
Routing, multicast and broadcast over  
the backbone
- ◆ Resource/user discovery
- ◆ Implementation of security in large  
networks of sensors
- ◆ Network management

# Clustering: Summary

- ◆ DCA+DMAC for clustering ad hoc networks:
  - Clusterhead selection based on mobility/node, dynamically changing parameters
  - Executed at each node with minimal topology knowledge
  - DCA time complexity is bound to a network parameter that depends on the network topology
  - DMAC is mobility/failure adaptive, fast and easy to implement

# Assignments

- ◆ Read the paper for HMW # 2
- ◆ Updated information on the class web page:

[www.ece.neu.edu/courses/eceg364/2004sp](http://www.ece.neu.edu/courses/eceg364/2004sp)